

# Soils Report 2009-32 Addendum #1



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 Subject: Soils Report No. 2009-32  
 Jock Stream Bridge  
 Revised Settlement Calculations  
 and Downdrag Evaluation

Document Type: 24  
 Date: June 30, 2010  
 Bridge No.: 2412  
 Route: N/A  
 PIN: 16716.00  
 Town: Monmouth

The following revisions are made to the Geotechnical Design Report for the Replacement of Jock Stream Bridge over Jock Stream, Monmouth, Maine, Soils Report No. 2009-32:

During the PDR review process for the Jock Stream Bridge replacement project the design team was directed to raise the roadway grade along the existing causeway and at the bridge structure by as much as 2.25 feet. As a result of this increase in fill material, the original settlement calculations conducted in the Geotechnical Design Report dated November 16, 2009 were revised. The increased fill resulted in settlements which exceed 0.4 inches creating a fully developed downdrag condition for the proposed abutment piles. The following paragraphs present the revised evaluation of site conditions in light of this additional fill.

### Settlement

The vertical alignment at the bridge will be raised approximately 2.25 feet at the west abutment and approximately 2.0 feet at the east abutment. The soils at the site are compressible and are susceptible to consolidation if the in-situ stresses are increased above the current levels (i.e., consolidation will occur if fill is placed or if structures are supported on compressible soils). Evaluation of the potential settlement due to the placement of up to 2.25 feet of fill resulted in approximately 1.2 inch of settlement. This settlement is anticipated to occur over a long period of time (32 years) and may require attention by a maintenance crew along the causeway.

### Downdrag

Settlement analyses indicate that approximately 1.2 inches of settlement will occur at the site due to the placement of up to 2.25 feet of fill. Studies indicate that settlements in excess of 0.4 inches

in soils where driven piles are present will result in downdrag (negative skin friction) forces on piles. The magnitude of downdrag has been estimated based on the effective vertical stress and empirical  $\beta$  factors obtained from full scale tests. The calculated downdrag values are:

Pile Section	Unfactored Downdrag Loads (DD) (kips)
HP 12 x 53	84
HP 12 x 74	86
HP 14 x 73	100
HP 14 x 89	101
HP 14 x 117	103

Calculations for the pile downdrag loads are attached to this memorandum. Based on past practice, it is recommended that a load factor,  $\gamma_p=1.0$ , is applied to downdrag forces in cohesive and cohesionless downdrag zones.

### Construction Recommendations

Downdrag forces can be handled or reduced by using one or more of the following techniques:

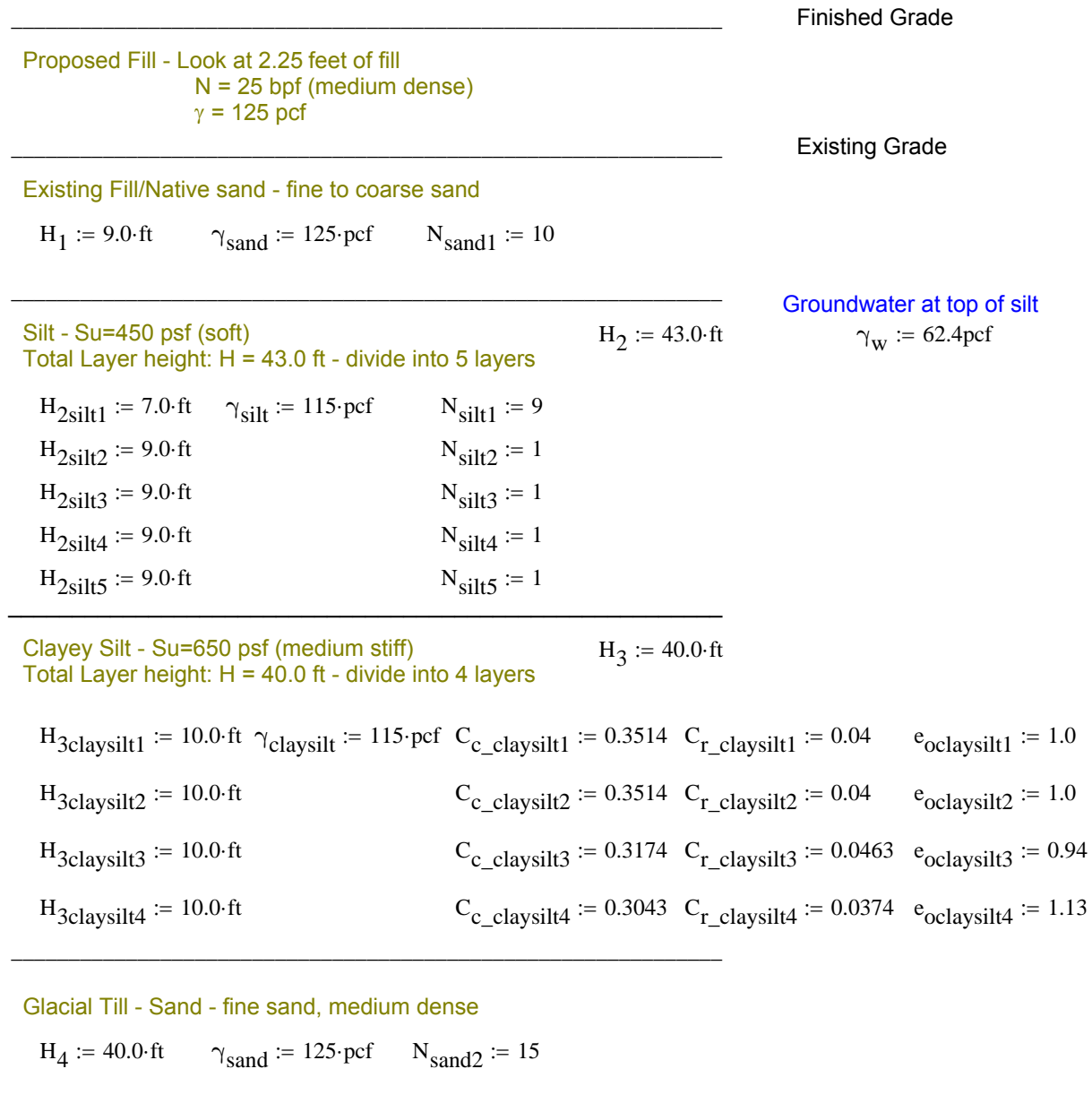
- Reduce soil settlement by preloading the soil
- Use light weight fill materials
- Increase allowable pile stresses
- Prevent direct contact between soil and pile by use of a pile sleeve

Due to the planned design using friction piles, the use of bitumen coating to reduce the downdrag forces is not recommended for this site.

**Settlement Analyses:**

Reference: FHWA Soils and Foundations Reference Manual - Volume 1  
 (FHWA NHI-06-088) Hough pg 7-16

The roadway grade at centerline may be raised by as much as 0.5 feet .  
 Look at a simplified soil profile based on BB-MJS-101:



LOADING ON AN INFINITE STRIP  
 VERTICAL EMBANKMENT LOADING

Project Name: Jock Stream Bridge      Client: Monmouth  
 Project Number : 16716.00          Project Manager : Benoit  
 Date: 06/22/10                          Computed by: km

Embank. slope a = 10.00(ft)  
 Embank. width b = 27.00(ft)  
 p load/unit area = 280.00(psf)

INCREMENT OF STRESSES FOR Z-DIRECTION  
 X = 20.00(ft)

Z (ft)	Vert. $\Delta z$ (psf)
0.00	280.00
4.00	270.85
8.00	240.55
12.00	207.61
16.00	179.42
20.00	156.47
24.00	137.90
28.00	122.79
32.00	110.38
36.00	100.06
40.00	91.39
44.00	84.02
48.00	77.70
52.00	72.23
56.00	67.45
60.00	63.24
64.00	59.52
68.00	56.20
72.00	53.22
76.00	50.53
80.00	48.10
84.00	45.89
88.00	43.87
92.00	42.02
96.00	40.31
100.00	38.74
104.00	37.28
108.00	35.93
112.00	34.67

at 4.5 ft  
 $\Delta\sigma_{zsand1} := 267.86 \cdot \text{psf}$   
 at 12.5 ft  
 $\Delta\sigma_{zsilt1} := 203.78 \cdot \text{psf}$   
 at 20.5 ft  
 $\Delta\sigma_{zsilt2} := 153.93 \cdot \text{psf}$   
 at 29.5 ft  
 $\Delta\sigma_{zsilt3} := 117.86 \cdot \text{psf}$   
 at 38.5 ft  
 $\Delta\sigma_{zsilt4} := 94.74 \cdot \text{psf}$   
 at 47.5 ft  
 $\Delta\sigma_{zsilt5} := 78.44 \cdot \text{psf}$   
 at 57.0 ft  
 $\Delta\sigma_{zclaysilt1} := 66.35 \cdot \text{psf}$   
 at 67.0 ft  
 $\Delta\sigma_{zclaysilt2} := 56.99 \cdot \text{psf}$   
 at 77.0 ft  
 $\Delta\sigma_{zclaysilt3} := 49.90 \cdot \text{psf}$   
 at 87.0 ft  
 $\Delta\sigma_{zclaysilt4} := 44.36 \cdot \text{psf}$   
 at 112.0 ft  
 $\Delta\sigma_{zsand2} := 34.67 \cdot \text{psf}$

**Existing Fill/Sand**

tsf := psf · 1000

Determine corrected N-value normalized for overburden N<sub>160</sub>:

Calculate vertical stress:  $\sigma_{\text{sand1o}} := \frac{H_1}{2} \cdot (\gamma_{\text{sand}})$       $\sigma_{\text{sand1o}} = 0.563 \cdot \text{tsf}$      at mid-point

Corrected SPT N<sub>60</sub>-value (bpf)     N<sub>sand1</sub> = 10

At P<sub>o</sub> = 0.563 tsf     C<sub>Nsand1</sub> := 0.77 · log  $\left( \frac{40 \cdot \text{ksf}}{\sigma_{\text{sand1o}}} \right)$      Eq. 10.4.6.2.4 LRFD

C<sub>Nsand1</sub> = 1.426

Corrected N-value normalized for overburden N<sub>160</sub>: N<sub>160</sub> := C<sub>Nsand1</sub> · N<sub>sand1</sub>     N<sub>160</sub> = 14

From Eq 3-3 pg 3-36

From Figure 7-7 pg 7-17 using the "clean well graded fine to coarse sand" curve

Bearing Capacity Index:     C<sub>1</sub> := 57

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$\Delta\sigma_{\text{zsand1}} = 267.86 \cdot \text{psf}$

**Silt - 5 layers**

Silt Layer 1:

Determine corrected N-value normalized for overburden N<sub>160</sub>:

Calculate vertical stress:  $\sigma_{\text{silt1o}} := \left[ \frac{H_{2\text{silt1}}}{2} \cdot (\gamma_{\text{silt}} - \gamma_w) \right] + H_1 \cdot (\gamma_{\text{sand}})$       $\sigma_{\text{silt1o}} = 1.309 \cdot \text{tsf}$   
 at mid-point

Corrected SPT N<sub>60</sub>-value (bpf)     N<sub>silt1</sub> = 9

At P<sub>o</sub> = 1.3 tsf     C<sub>Nsilt1</sub> := 0.77 · log  $\left( \frac{40 \cdot \text{ksf}}{\sigma_{\text{silt1o}}} \right)$      Eq. 10.4.6.2.4 LRFD

C<sub>Nsilt1</sub> = 1.144

Corrected N-value normalized for overburden N<sub>160</sub>: N<sub>160</sub> := C<sub>Nsilt1</sub> · N<sub>silt1</sub>     N<sub>160</sub> = 10

From Eq 3-3 pg 3-36

From Figure 7-7 pg 7-17 using the "Inorganic silt" curve

Bearing Capacity Index:     C<sub>2silt1</sub> := 29

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$\Delta\sigma_{\text{zsilt1}} = 203.78 \cdot \text{psf}$

Silt Layer 2:

Determine corrected N-value normalized for overburden  $N_{160}$ :

Calculate vertical stress:

$$\sigma_{silt2o} := \left[ \frac{H_{2silt2}}{2} \cdot (\gamma_{silt} - \gamma_w) \right] + H_{2silt1} \cdot (\gamma_{silt} - \gamma_w) + H_1 \cdot (\gamma_{sand}) \quad \sigma_{silt2o} = 1.73 \cdot \text{tsf} \quad \text{at mid-point}$$

Corrected SPT  $N_{60}$ -value (bpf)  $N_{silt2} = 1$

At  $P_o = 1.7 \text{ tsf}$   $C_{Nsilt2} := 0.77 \cdot \log\left(\frac{40 \cdot \text{ksf}}{\sigma_{silt2o}}\right)$  Eq. 10.4.6.2.4 LRFD

$$C_{Nsilt2} = 1.05$$

Corrected N-value normalized for overburden  $N_{160}$ :  $N_{160} := C_{Nsilt2} \cdot N_{silt2}$   $N_{160} = 1$

From Eq 3-3 pg 3-36

From Figure 7-7 pg 7-17 using the "Inorganic silt" curve

Bearing Capacity Index:  $C_{2silt2} := 17$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{zsilt2} = 153.93 \cdot \text{psf}$$

Silt Layer 3:

Determine corrected N-value normalized for overburden  $N_{160}$ :

Calculate vertical stress:

$$\sigma_{silt3o} := \left[ \frac{H_{2silt3}}{2} \cdot (\gamma_{silt} - \gamma_w) \right] + (H_{2silt2} + H_{2silt1}) \cdot (\gamma_{silt} - \gamma_w) + H_1 \cdot (\gamma_{sand}) \quad \sigma_{silt3o} = 2.203 \cdot \text{tsf} \quad \text{at mid-point}$$

Corrected SPT  $N_{60}$ -value (bpf)  $N_{silt3} = 1$

At  $P_o = 2.2 \text{ tsf}$   $C_{Nsilt3} := 0.77 \cdot \log\left(\frac{40 \cdot \text{ksf}}{\sigma_{silt3o}}\right)$  Eq. 10.4.6.2.4 LRFD

$$C_{Nsilt3} = 0.969$$

Corrected N-value normalized for overburden  $N_{160}$ :  $N_{160} := C_{Nsilt3} \cdot N_{silt3}$   $N_{160} = 1$

From Eq 3-3 pg 3-36

From Figure 7-7 pg 7-17 using the "Inorganic silt" curve

Bearing Capacity Index:  $C_{2silt3} := 15$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{zsilt3} = 117.86 \cdot \text{psf}$$

Silt Layer 4:

Determine corrected N-value normalized for overburden  $N_{160}$ :

Calculate vertical stress:

$$\sigma_{silt4o} := \left[ \frac{H_{2silt4}}{2} \cdot (\gamma_{silt} - \gamma_w) \right] + (H_{2silt3} + H_{2silt2} + H_{2silt1}) \cdot (\gamma_{silt} - \gamma_w) + H_1 \cdot (\gamma_{sand}) \quad \sigma_{silt4o} = 2.677 \cdot \text{tsf}$$

at mid-point

Corrected SPT  $N_{60}$ -value (bpf)  $N_{silt4} = 1$

At  $P_o = 2.7 \text{ tsf}$   $C_{Nsilt4} := 0.77 \cdot \log \left( \frac{40 \cdot \text{ksf}}{\sigma_{silt4o}} \right)$  Eq. 10.4.6.2.4 LRFD

$$C_{Nsilt4} = 0.904$$

Corrected N-value normalized for overburden  $N_{160}$ :  $N_{160} := C_{Nsilt4} \cdot N_{silt4}$   $N_{160} = 1$

From Eq 3-3 pg 3-36

From Figure 7-7 pg 7-17 using the "Inorganic silt" curve

Bearing Capacity Index:  $C_{2silt4} := 15$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{zsilt4} = 94.74 \cdot \text{psf}$$

Silt Layer 5:

Determine corrected N-value normalized for overburden  $N_{160}$ :

Calculate vertical stress:

$$\sigma_{silt5o} := \left[ \frac{H_{2silt5}}{2} \cdot (\gamma_{silt} - \gamma_w) \right] + (H_{2silt4} + H_{2silt3} + H_{2silt2} + H_{2silt1}) \cdot (\gamma_{silt} - \gamma_w) + H_1 \cdot (\gamma_{san}) \quad \sigma_{silt5o} = 3.15 \cdot \text{tsf}$$

at mid-point

Corrected SPT  $N_{60}$ -value (bpf)  $N_{silt5} = 1$

At  $P_o = 3.2 \text{ tsf}$   $C_{Nsilt5} := 0.77 \cdot \log \left( \frac{40 \cdot \text{ksf}}{\sigma_{silt5o}} \right)$  Eq. 10.4.6.2.4 LRFD

$$C_{Nsilt5} = 0.85$$

Corrected N-value normalized for overburden  $N_{160}$ :  $N_{160} := C_{Nsilt5} \cdot N_{silt5}$   $N_{160} = 1$

From Eq 3-3 pg 3-36

From Figure 7-7 pg 7-17 using the "Inorganic silt" curve

Bearing Capacity Index:  $C_{2silt5} := 15$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{zsilt5} = 78.44 \cdot \text{psf}$$

### Clayey Silt - 4 layers

#### Clayey Silt Layer 1:

Average values from lab data:  $e_{oc\text{clavsilt}1} = 1$   $C_r \text{ clavsilt}1 = 0.04$

$$\sigma_{\text{claysilt}1o} := \frac{H_{3\text{claysilt}1}}{2} \cdot (\gamma_{\text{claysilt}} - \gamma_w) + H_2 \cdot (\gamma_{\text{silt}} - \gamma_w) + H_1 \cdot (\gamma_{\text{sand}}) \quad \sigma_{\text{claysilt}1o} = 3.65 \cdot \text{tsf} \quad \text{at mid-point}$$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{z\text{claysilt}1} = 66.35 \cdot \text{psf}$$

#### Clayey Silt Layer 2:

Average values from lab data:  $e_{oc\text{clavsilt}2} = 1$   $C_r \text{ clavsilt}2 = 0.04$

$$\sigma_{\text{claysilt}2o} := \frac{H_{3\text{claysilt}2}}{2} \cdot (\gamma_{\text{claysilt}} - \gamma_w) + H_{3\text{claysilt}1} \cdot (\gamma_{\text{claysilt}} - \gamma_w) + H_2 \cdot (\gamma_{\text{silt}} - \gamma_w) + H_1 \cdot (\gamma_{\text{sand}})$$

$$\sigma_{\text{claysilt}2o} = 4.18 \cdot \text{tsf} \quad \text{at mid-point}$$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{z\text{claysilt}2} = 56.99 \cdot \text{psf}$$

#### Clayey Silt Layer 3:

Average values from lab data:  $e_{oc\text{clavsilt}3} = 0.94$   $C_r \text{ clavsilt}3 = 0.046$

$$\sigma_{\text{claysilt}3o} := \frac{H_{3\text{claysilt}3}}{2} \cdot (\gamma_{\text{claysilt}} - \gamma_w) + (H_{3\text{claysilt}2} + H_{3\text{claysilt}1}) \cdot (\gamma_{\text{claysilt}} - \gamma_w) + H_2 \cdot (\gamma_{\text{silt}} - \gamma_w) + H_1 \cdot (\gamma_{\text{sand}})$$

$$\sigma_{\text{claysilt}3o} = 4.7 \cdot \text{tsf} \quad \text{at mid-point}$$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{z\text{claysilt}3} = 49.9 \cdot \text{psf}$$

#### Clayey Silt Layer 4:

Average values from lab data:  $e_{oc\text{clavsilt}4} = 1.13$   $C_r \text{ clavsilt}4 = 0.037$

$$\sigma_{\text{claysilt}4o} := \frac{H_{3\text{claysilt}4}}{2} \cdot (\gamma_{\text{claysilt}} - \gamma_w) + (H_{3\text{claysilt}3} + H_{3\text{claysilt}2} + H_{3\text{claysilt}1}) \cdot (\gamma_{\text{claysilt}} - \gamma_w) + H_2 \cdot (\gamma_{\text{silt}} - \gamma_w) + H_1 \cdot (\gamma_{\text{sand}})$$

$$\sigma_{\text{claysilt}4o} = 5.23 \cdot \text{tsf} \quad \text{at mid-point}$$

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$$\Delta\sigma_{z\text{claysilt}4} = 44.36 \cdot \text{psf}$$



**Glacial Till - Sand**

Determine corrected N-value normalized for overburden N<sub>160</sub>:

Calculate vertical stress:

$$\sigma_{\text{sand2o}} := \frac{H_4}{2}(\gamma_{\text{sand}} - \gamma_w) + H_3(\gamma_{\text{claysilt}} - \gamma_w) + H_2(\gamma_{\text{silt}} - \gamma_w) + H_1(\gamma_{\text{sand}}) \quad \sigma_{\text{sand2o}} = 6.743 \cdot \text{tsf}$$

at mid-point

Corrected SPT N<sub>60</sub>-value (bpf)      N<sub>sand2</sub> = 15

AT P<sub>o</sub> = 6.7 tsf      C<sub>Nsand2</sub> := 0.77 · log $\left(\frac{40 \cdot \text{ksf}}{\sigma_{\text{sand2o}}}\right)$       Eq. 10.4.6.2.4 LRFD

C<sub>Nsand2</sub> = 0.595

Corrected N-value normalized for overburden N<sub>160</sub>:

From Eq 3-3 pg 3-36      N<sub>160</sub> := C<sub>Nsand2</sub> · N<sub>sand2</sub>      N<sub>160</sub> = 9

From Figure 7-7 pg 7-17 using the "clean well graded fine to coarse sand" curve

Bearing Capacity Index:      C<sub>4sand2</sub> := 47

Use STRESS to determine the change in stress at the mid point of the layer under consideration (above)

$\Delta\sigma_{\text{zsand2}} = 34.67 \cdot \text{psf}$

**Calculate Settlement:**

Fill/Sand:       $\Delta H_1 := H_1 \cdot \frac{1}{C_1} \cdot \log\left(\frac{\sigma_{\text{sand1o}} + \Delta\sigma_{\text{zsand1}}}{\sigma_{\text{sand1o}}}\right)$        $\Delta H_1 = 0.32 \cdot \text{in}$

Silt Layer 1:       $\Delta H_{2\text{silt1}} := H_{2\text{silt1}} \cdot \frac{1}{C_{2\text{silt1}}} \cdot \log\left(\frac{\sigma_{\text{silt1o}} + \Delta\sigma_{\text{zsilt1}}}{\sigma_{\text{silt1o}}}\right)$        $\Delta H_{2\text{silt1}} = 0.182 \cdot \text{in}$

Silt Layer 2:       $\Delta H_{2\text{silt2}} := H_{2\text{silt2}} \cdot \frac{1}{C_{2\text{silt2}}} \cdot \log\left(\frac{\sigma_{\text{silt2o}} + \Delta\sigma_{\text{zsilt2}}}{\sigma_{\text{silt2o}}}\right)$        $\Delta H_{2\text{silt2}} = 0.235 \cdot \text{in}$

Silt Layer 3:       $\Delta H_{2\text{silt3}} := H_{2\text{silt3}} \cdot \frac{1}{C_{2\text{silt3}}} \cdot \log\left(\frac{\sigma_{\text{silt3o}} + \Delta\sigma_{\text{zsilt3}}}{\sigma_{\text{silt3o}}}\right)$        $\Delta H_{2\text{silt3}} = 0.163 \cdot \text{in}$

Silt Layer 4:       $\Delta H_{2\text{silt4}} := H_{2\text{silt4}} \cdot \frac{1}{C_{2\text{silt4}}} \cdot \log\left(\frac{\sigma_{\text{silt4o}} + \Delta\sigma_{\text{zsilt4}}}{\sigma_{\text{silt4o}}}\right)$        $\Delta H_{2\text{silt4}} = 0.109 \cdot \text{in}$

Silt Layer 5:       $\Delta H_{2\text{silt5}} := H_{2\text{silt5}} \cdot \frac{1}{C_{2\text{silt5}}} \cdot \log\left(\frac{\sigma_{\text{silt5o}} + \Delta\sigma_{\text{zsilt5}}}{\sigma_{\text{silt5o}}}\right)$        $\Delta H_{2\text{silt5}} = 0.077 \cdot \text{in}$

Clayey Silt Layer 1:       $\Delta H_{3\text{cs1}} := H_{3\text{claysilt1}} \cdot \left(\frac{C_{r\text{claysilt1}}}{1 + e_{o\text{claysilt1}}}\right) \cdot \log\left(\frac{\sigma_{\text{claysilt1o}} + \Delta\sigma_{\text{zclaysilt1}}}{\sigma_{\text{claysilt1o}}}\right)$        $\Delta H_{3\text{cs1}} = 0.019 \cdot \text{in}$

$$\text{Clayey Silt Layer 2: } \Delta H_{3cs2} := H_{3claysilt2} \cdot \left( \frac{C_{r\_claysilt2}}{1 + e_{oclaysilt2}} \right) \cdot \log \left( \frac{\sigma_{claysilt2o} + \Delta \sigma_{zclaysilt2}}{\sigma_{claysilt2o}} \right) \quad \Delta H_{3cs2} = 0.014 \cdot \text{in}$$

$$\text{Clayey Silt Layer 3: } \Delta H_{3cs3} := H_{3claysilt3} \cdot \left( \frac{C_{r\_claysilt3}}{1 + e_{oclaysilt3}} \right) \cdot \log \left( \frac{\sigma_{claysilt3o} + \Delta \sigma_{zclaysilt3}}{\sigma_{claysilt3o}} \right) \quad \Delta H_{3cs3} = 0.013 \cdot \text{in}$$

$$\text{Clayey Silt Layer 4: } \Delta H_{3cs4} := H_{3claysilt4} \cdot \left( \frac{C_{r\_claysilt4}}{1 + e_{oclaysilt4}} \right) \cdot \log \left( \frac{\sigma_{claysilt4o} + \Delta \sigma_{zclaysilt4}}{\sigma_{claysilt4o}} \right) \quad \Delta H_{3cs4} = 0.008 \cdot \text{in}$$

$$\text{Glacial Till - Sand: } \Delta H_4 := H_4 \cdot \frac{1}{C_{sand2}^4} \cdot \log \left( \frac{\sigma_{sand2o} + \Delta \sigma_{zsand2}}{\sigma_{sand2o}} \right) \quad \Delta H_4 = 0.023 \cdot \text{in}$$

Total Settlement =

$$\Delta H_T := \Delta H_1 + \Delta H_{2silt1} + \Delta H_{2silt2} + \Delta H_{2silt3} + \Delta H_{2silt4} + \Delta H_{2silt5} + \Delta H_{3cs1} + \Delta H_{3cs2} + \Delta H_{3cs3} + \Delta H_{3cs4} + \Delta H_4$$

$$\Delta H_T = 1.163 \cdot \text{in}$$

With 1.2 inches of settlement downdrag forces will be fully developed.

$$\text{Elastic Settlement} = \Delta H_1 + \Delta H_4 = 0.343 \cdot \text{in}$$

$$\text{Consolidation Settlement} = \Delta H_{2silt1} + \Delta H_{2silt2} + \Delta H_{2silt3} + \Delta H_{2silt4} + \Delta H_{2silt5} + \Delta H_{3cs1} + \Delta H_{3cs2} + \Delta H_{3cs3} + \Delta H_{3cs4} = 0.8 \cdot \text{in}$$

### Time Rate of Settlement:

Determine the time for 90% consolidation for primary settlement

Reference: FHWA Soils and Foundation Reference Manual - Volume 1 page 7-30

$$\text{Thickness of the silt/clay layer} = H_{siltclay} := 83.0 \cdot \text{ft}$$

Assume double drainage due to presence of sand layers above and below the clay layer.

$$H_{scv} := 41.5 \cdot \text{ft}$$

$$\text{Time factor from Table on page 7-32 At 90\% primary consolidation} \quad T_v := 0.848$$

$$\text{Coefficient of consolidation from lab data: } C_v := 1.46 \cdot 10^{-6} \cdot \frac{\text{ft}^2}{\text{sec}} \quad C_v = 0.126 \cdot \frac{\text{ft}^2}{\text{day}}$$

Time rate of settlement to achieve 90% Primary Consolidation

$$t_{90} := \frac{T_v \cdot H_{scv}^2}{C_v} \quad t_{90} = 1.1578 \times 10^4 \cdot \text{day} \quad \text{year} := 365 \cdot \text{day}$$

$$t_{90} = 31.72 \cdot \text{year}$$

## Determination of Downdrag:

Use beta method to determine downdrag

Granular soil (Sandford)  $\beta_{gr} := 0.11$

Silt/Clay (Sandford), Presumpscot formation  $\beta_{clay} := 0.06$

Assumed values

Unit weight of existing sand fill  $\gamma_{sand} := 125 \cdot \text{pcf}$

Groundwater table at top of silt layer

Unit weight of water  $\gamma_w := 62.4 \cdot \text{pcf}$

Unit weight of silt/clay  $\gamma_{siltclay} := 115 \cdot \text{pcf}$

Effective unit weight of silt/clay  $\gamma'_{siltclay} := \gamma_{siltclay} - \gamma_w$   $\gamma'_{siltclay} = 52.6 \cdot \text{pcf}$

Stress from overburden material. Overburden consists of approximately 9 feet of sand on 43 feet of silt fill on 40 feet of clayey silt all over glacial till. Water table is at the top of the silt layer.

Change in overburden Stress due to fill =  $\sigma_{v\_ob} := 2.25 \cdot \text{ft} \cdot \gamma_{sand}$   $\sigma_{v\_ob} = 281.25 \cdot \text{psf}$

at 4.5 ft  $\Delta\sigma_{4.5} := 267.86 \cdot \text{psf}$

at 30.5 ft  $\Delta\sigma_{30.5} := 130.54 \cdot \text{psf}$

at 72.0 ft  $\Delta\sigma_{72} := 53.22 \cdot \text{psf}$

Effective vertical stress in middle of each layer

Total thickness of each stratum

$D_{sand} := 9 \cdot \text{ft}$   $D_{silt} := 43 \cdot \text{ft}$   $D_{claysilt} := 40 \cdot \text{ft}$

$\sigma'_{v\_sand} := \Delta\sigma_{4.5} + \frac{D_{sand}}{2} \cdot \gamma_{sand}$   $\sigma'_{v\_sand} = 830.4 \cdot \text{psf}$

$\sigma'_{v\_silt} := \Delta\sigma_{30.5} + D_{sand} \cdot \gamma_{sand} + \frac{D_{silt}}{2} \cdot \gamma_{silt}$   $\sigma'_{v\_silt} = 3728 \cdot \text{psf}$

$\sigma'_{v\_claysilt} := \Delta\sigma_{72} + D_{sand} \cdot \gamma_{sand} + D_{silt} \cdot (\gamma_{silt} - \gamma_w) + \frac{D_{claysilt}}{2} \cdot (\gamma_{siltclay} - \gamma_w)$   $\sigma'_{v\_claysilt} = 4492 \cdot \text{psf}$

Pile parameters:

Look at these piles:

**HP 12 x 53**  
**HP 12 x 74**  
**HP 14 x 73**  
**HP 14 x 89**  
**HP 14 x 117**

Note: All matrices set up in this order

Steel area:  $A_s := \begin{pmatrix} 15.5 \\ 21.8 \\ 21.4 \\ 26.1 \\ 34.4 \end{pmatrix} \cdot \text{in}^2$

Pile depth:  $d := \begin{pmatrix} 11.78 \\ 12.13 \\ 13.61 \\ 13.83 \\ 14.21 \end{pmatrix} \cdot \text{in}$

Pile width:  $b := \begin{pmatrix} 12.045 \\ 12.215 \\ 14.585 \\ 14.695 \\ 14.885 \end{pmatrix} \cdot \text{in}$

Box perimeter:  $P := 2 \cdot (d + b)$

$P = \begin{pmatrix} 47.65 \\ 48.69 \\ 56.39 \\ 57.05 \\ 58.19 \end{pmatrix} \cdot \text{in}$

Magnitude of maximum downdrag, considered over entire clay thickness

$$Q_{dd} := (D_{\text{sand}} \cdot \sigma'_{v_{\text{sand}}} \cdot \beta_{\text{gr}} + D_{\text{silt}} \cdot \sigma'_{v_{\text{silt}}} \cdot \beta_{\text{clay}} + D_{\text{claysilt}} \cdot \sigma'_{v_{\text{claysilt}}} \cdot \beta_{\text{clay}}) \cdot P$$

$$Q_{dd} = \begin{pmatrix} 84 \\ 86 \\ 100 \\ 101 \\ 103 \end{pmatrix} \cdot \text{kip}$$

For these piles:

**HP 12 x 53**  
**HP 12 x 74**  
**HP 14 x 73**  
**HP 14 x 89**  
**HP 14 x 117**

*Based on past practice in the estimation of downdrag forces in Maine, a downdrag load factor of 1.0 is recommended*